

SMART PERMANENT VIRTUAL CIRCUITS IN ASYNCHRONOUS TRANSFER MODE NETWORKS

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ABSTRACT

Asynchronous Transfer Mode (ATM) is a high-speed network technology that transmits various types of information across networks such as voice, video, image, data, etc. In an ATM network the basic data units, called cells, are routed through switched or permanent virtual circuits (virtual channels). A Smart Permanent Virtual Circuit is a connection that looks like a Permanent Virtual Circuit at the local and remote endpoints with a Switched Virtual Circuit in the middle. If a link carrying a Smart Permanent Virtual Circuit goes down and there is an alternate route, then the network automatically reroutes the Smart Permanent Virtual Circuit around the link. As a result of the rerouting, the network may not be able to deliver the guaranteed quality of services as it was negotiated. It may have to change the quality of service parameters negotiated for other connections. The objective of this paper is to apply Distributed Artificial Intelligence (DAI) methodologies, "intelligent" agents", in ATM networks management. The paper presents a search algorithm that helps the agents learn from previous interactions and experience. Agents can evaluate alternate paths in order to maintain as many connections as possible with the quality of service guaranteed originally.

1. INTRODUCTION

Asynchronous Transfer Mode (ATM) is a new high-speed network technology that transmits various types of information across networks such as voice, video, image, data, etc. In an ATM network the basic data units, called cells, are routed from a source to a destination through switched or permanent virtual circuits (or virtual channels) that can be bundled into virtual paths. A Switched Virtual Circuit is used to transport information between two locations and lasts only for the duration of the transfer. Permanent Virtual Circuits are used for dedicated long-term information transport between locations. Establishment of virtual circuits and paths are based on a negotiation between the calling party and the

ATM network. The parameters being negotiated include average and peak bandwidth, burst length, and quality of service parameters for transmitting various types of information. As a result of the connection establishment procedure, a "contract" is secured between the ATM network and the ATM end station. The ATM network promises to deliver the guaranteed quality of service and the ATM end station promises not to send more traffic than it requested in the connection establishment procedure.

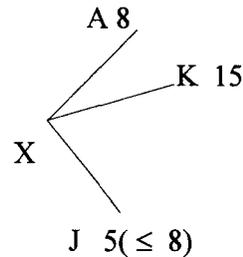
The cell routing is controlled by the ATM switches along the path between two ATM endpoints. A Smart Permanent Virtual Circuit as it has been defined in [1] is a connection that looks like a Permanent Virtual Circuit at the local and remote endpoints with a Switched Virtual Circuit in the middle. Smart Permanent Virtual Circuits are more robust than Permanent Virtual Circuits. If a link carrying a Permanent Virtual Circuit goes down, then the Permanent Virtual Circuit goes down. If a link carrying a Smart Permanent Virtual Circuit goes down and there is an alternate route, then the end switch of the Smart Permanent Virtual Circuit automatically reroutes the Smart Permanent Virtual Circuit around the link. As a result of the rerouting, the network may not be able to deliver the guaranteed quality of service as it was negotiated in the contract. It may have to change the quality of service parameters negotiated for other connections. There is no widely accepted standardized procedure for creating and maintaining Smart Permanent Virtual Circuits. It is still a research topic that is similar to the issues discussed under one of the ATM network management functions called Fast Resource Management.

Routing and rerouting circuits in high-speed telecommunication networks are important areas of research. A current research direction solves this rerouting problem by using Distributed Artificial Intelligence approaches to select between alternative rerouting plans [2]. The objective of this paper is to apply Distributed Artificial Intelligence (DAI) methodologies, "intelligent" agents", in ATM networks management. "Intelligent agents" cooperate in order to ensure network-wide control. Each agent has local decision-making capabilities and some knowledge about system parameters of part of the network. None of the agents can control the entire network alone. We present

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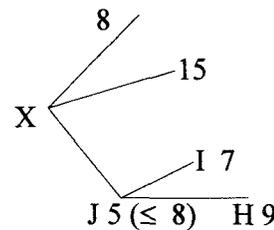
predecessor switch along the rerouting circuit) based on its previous reroutings. P may be different for different circuits and is dependent on the specific circuit to be rerouted, because the resource and capacity requirements of a circuit determine the switch's capability to restore it. Small (close to zero) values of P indicate high quality and efficiency, and high values indicate that the switch is unreliable and unstable in rerouting the circuit. A switch's P value is recalculated after each circuit rerouting by that adjacent switch which sent a rerouting request to it. After each rerouting it is determined how realistic a switch's cost estimate has been with respect to the recalculated cost. By testing a statistical hypothesis it can be determined if it has been unrealistic. If the corresponding hypothesis H_0 is rejected no rerouting request messages will be sent to this switch in the future for rerouting circuits. If a switch's cost estimate has been realistic, i.e., the corresponding hypothesis H_0 is accepted, the P value is recalculated. The closer the estimated cost is to the actual cost, the smaller is the P value. Subsequent values of P for each switch are calculated using the statistical sampling method given in [3]. The motivation for using P is to enable the search process to learn from past performances and use this knowledge to select the most efficient rerouting switches.

The switches compute the estimated cost of each of the activities associated with the rerouting process, such as the allocation or reallocation of network resources, rerouting existing but lower priority connections, and reestablishing interrupted connections. These cost estimates are sent back to X , which will select the route with the smallest cost estimate, e.g., via J . The process continues recursively. At each recursive step a site uses three arguments: a subsequent site, an upper bound on the restoral cost, and the circuit number. Each step expands the path by those children through which the estimated restoral costs do not exceed the upper bound. (The first step assumes an upper bound of infinity at X .) Each step returns the estimated cost along the path to a child, replacing parent values with the minimum of the estimated costs via the last children expanded, going back along the path, until a better cost estimate is reached. Then, the procedure continues along that path. Generally, the upper bound on a child is equal to the minimum of the upper bound on its parent and the current value of its best sibling. Initially, a switch is assigned the estimated cost via itself. After a recursive step this cost value will be equal to the minimum estimated cost path to the last child along the expanded subtree. We call it the switch's stored value after the original Simple Recursive Best-First Search (SRBFS) algorithm in [4]. The following chart shows the first steps of the algorithm. After receiving the cost estimates from J , K , and A , X decides to continue the search via J initializing a recursive procedure on J with the upper bound 8. In the chart below the figures denote the cost estimates through A , K , and J , and the upper bound (in parentheses):



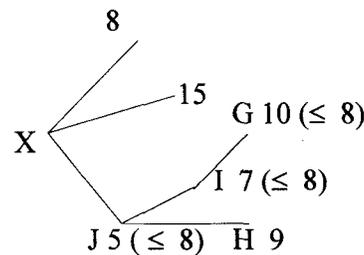
a.

J continues the search by sending a request to adjacent sites K , I , and H to restore circuit c . In the chart below, only I and H will respond with their cost estimates, hence J can estimate the cost of the paths via these sites:

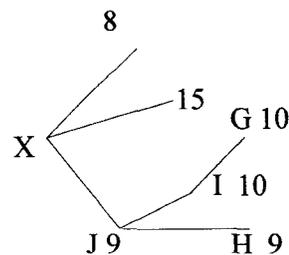


b.

Site J decides that the search continues via I with an upper bound 8, that in turn, will send a request to G and H . Because H has already received a request from J , only G responds with an estimated cost exceeding the upper bound 8. The process returns back up the tree replacing the parent's value. The following two charts show these steps:

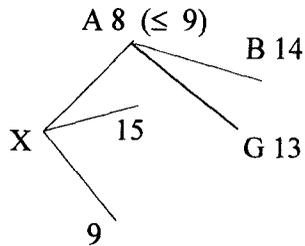


c.

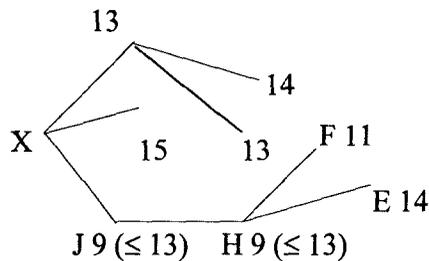


d.

The search switches to J's next best sibling A which sends requests to B, G, and K. The following charts show the progress of the search and depict only the newly explored paths for simplicity:

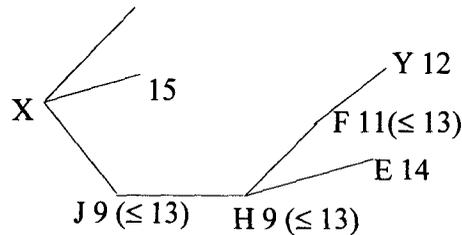


e.

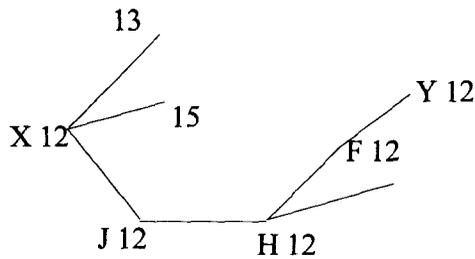


f.

The search continues from H that will send a request to F and E. The charts below display the final steps of the algorithm:



g.



h.

Once the destination Y is reached the process stops. The rerouted circuit is along the return path of the recursive steps. Selection of the rerouted circuit by the participating switches is based on cost estimates and information about the switches' previous performance. Since at each step the estimated least-cost path is selected, the resulting restoral path is the expected least-cost path or close to it. It can be proved that the above algorithm always finds the least-cost rerouting circuit if some conditions are met. Due to space limitation the proof of this statement and the formal description of the algorithm are omitted but available from the author upon request.

4. The Complexity of the Algorithm

First we give an overview of the similar search algorithms. The Iterative-Deepening-A* (IDA*) in [7], which is a modification of A* [13], performs a sequence of depth-first searches, pruning branches when their cost exceeds a threshold for the current iteration. The initial threshold is determined by the cost estimate at the root and increases for each iteration of the algorithm. Each subsequent threshold for each iteration is the minimum cost of all values that exceeded the previous threshold. IDA* expands the same number of nodes asymptotically, as A*. It is shown in [8] that IDA* is asymptotically optimal in terms of time for tree searches. The important property of A*, that it always finds the lowest-cost solution path if the heuristic is admissible, also holds for IDA*. Although it is easier to implement than A* (as there are no open and close lists to be managed), it uses a global threshold, that is difficult to maintain in a distributed system.

Our algorithm is a modification of the Simple Recursive Best-First Search (SRBFS) which is an extensions of the IDA*. Therefore, the complexity of our algorithm can be derived from the complexity of this algorithm. While iterative-deepening uses a global threshold, SRBFS uses a local cost threshold for each iteration with two parameters: the next child along the path, and an upper bound on cost. It explores the branch below the child as long as it contains expanded children, whose costs do not exceed the upper bound. Each iteration returns the minimum cost of the newly expanded children.

Although the space complexity of our algorithm is $O(db)$ (similarly to SRBFS), where b is the branching factor and d is the maximum search depth, the worst-case time complexity is $O(b^{2d})$ depending on the cost function. With a monotonic cost function, it finds an optimal solution while expanding fewer children than iterative-deepening. The method in SRBFS and in our algorithm reduces the space complexity of best-first search from exponential to linear (assuming a constant branching factor). The reason is that the recursive procedure only maintains the path to the best frontier children of the

explored subtree, and all siblings along the path. While in IDA* (and A*) each new iteration regenerates the entire previous tree, our algorithm only explores the branches of siblings on one of the last paths of the most recent iteration. The algorithm increases the time complexity by only a constant factor [4]. It can also be shown [4] that the property of A* also holds for SRBFS, therefore the same property holds for our method as well, i.e., if the cost estimates at each switch are close to the lower bounds of the actual cost, then the restoral algorithm will find the least-cost rerouting circuit.

5. CONCLUSIONS

In this paper we have presented a circuit rerouting algorithm that can be used in establishing Smart Permanent Virtual Circuits in ATM networks. Our contribution is a search method which can learn over the time. The search is sensitive to the switches' previous performance. It will choose the "best" switches to reroute a circuit. "Best" switches are the ones that are involved in locating the least cost rerouting path. The method tends to find the least-cost path in the effort to reroute a failed circuit. Traditional search algorithms start over again without remembering previous "successful, least cost" rerouted path, therefore they visit switches again, even though it has been statistically proven that they cannot restore the circuit in an efficient way.

6. REFERENCES

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